

# Planck constraints on secret neutrino interactions

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# Summary

- Standard neutrino cosmology
- Non-standard interactions
  - Pseudoscalar interaction
  - Results
  - COrE forecast
- Conclusions

Neutrinos are neutral, weak-interacting particles

Decoupling:

$$\text{At } T \sim 1\text{MeV since } \Gamma_w = n_\nu \langle \sigma_w v \rangle = H$$

Their contribution is parametrized into the relativistic energy density:

$$\rho_r = \rho_\gamma + \rho_\nu = \left[ 1 + \frac{7}{8} \left( \frac{4}{11} \right)^{\frac{4}{3}} N_{\text{eff}} \right] \rho_\gamma$$

The standard value for  $N_{\text{eff}} = 3.046$  [Mangano et al., 2005]

Planck bounds [Planck 2015 XVI] are:

$$N_{\text{eff}} = 3.13 \pm 0.32 \text{ (PlanckTT + lowP)}$$

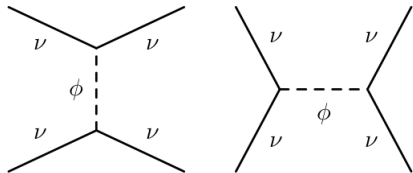
$$N_{\text{eff}} = 2.99 \pm 0.20 \text{ (PlanckTT, TE, EE + lowP)}$$

One extra relativistic degree of freedom is excluded at  $3 - 5\sigma$

# Non-standard interactions: Pseudoscalar

## Two main classes:

- Pseudoscalar interaction
- Fermi like (4 points) interaction



## Lagrangian

$$\mathcal{L} = h_{ij} \bar{\nu}_i \nu_j \phi + g_{ij} \bar{\nu}_i \gamma_5 \nu_j \phi + h.c.$$

This induces a series of processes mediated by a massless scalar ( $h_{ij}$ ) or pseudoscalar ( $g_{ij}$ ) boson.

If  $\nu$ s are relativistic, the cross section has the form:

$$\sigma_{\nu\nu} \sim \frac{g_{ij}^4}{s} \simeq \frac{g_{ij}^4}{T^2}$$

and the scattering rate:

$$\Gamma_{\nu\nu} \sim \langle \sigma_{\nu\nu} v \rangle n_\nu \simeq g_{ij}^4 T$$

We use an effective parametrization:

$$\Gamma_{eff} = g_{eff}^4 T \quad (2)$$

Neutrinos recouple at “late” times

Cosmology : [FF, M. Lattanzi,  
P.Natoli, 2014]

$$g_{\text{eff}}^{(\text{mass})} \leq 1.7 \cdot 10^{-7} \text{ 95\%c.l.}$$

Cosmology : [Archidiacono, Hannestad,  
2014]

$$g_{ij} \leq 1.2 \cdot 10^{-7} \text{ 95\%c.l.}$$

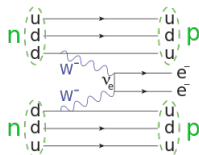
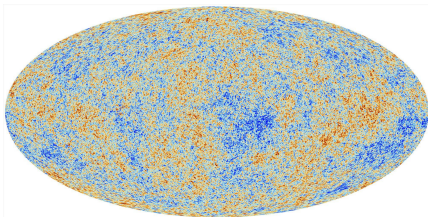
Supernovae: [M. Kachelriess et al.,  
2000]

Excluded region (Majoron case):

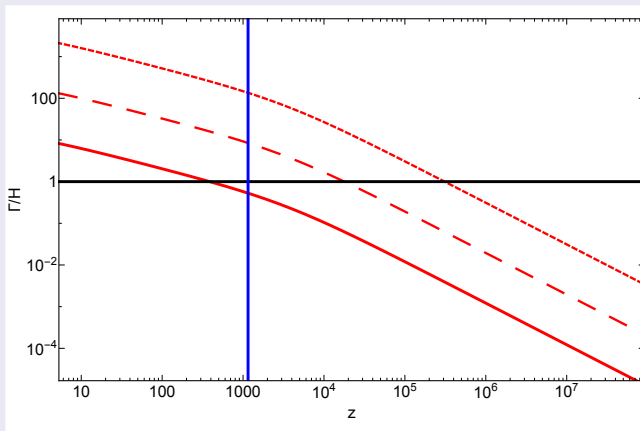
$$3 \cdot 10^{-7} < g_{ij}^{(\text{flavour})} < 2 \cdot 10^{-5} \text{ (inside medium)}$$

$0\nu 2\beta$  decay: A. Gando et al. 2012  
[KamLAND-Zen Collaboration]

$$g^{(\text{flavour})} < (0.8 - 1.6) 10^{-5}$$



## Behaviour of the interaction rate



- $g_{eff} = 10^{-7}$
- - -  $g_{eff} = 2 \cdot 10^{-7}$
- ⋯  $g_{eff} = 4 \cdot 10^{-7}$
- Recombination

Relaxation time approximation :

$$\left. \frac{\partial f}{\partial \tau} \right|_{coll} = -\frac{f}{\tau_{coll}} \quad \text{where} \quad \tau_{coll} = \frac{1}{\Gamma}$$

Add interaction to fluid hierarchy

$$\dot{\delta} = -\frac{4}{3}\theta - \frac{2}{3}\dot{h},$$

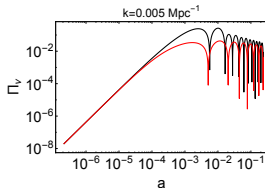
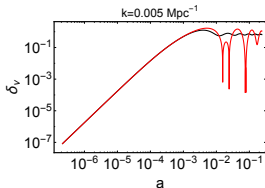
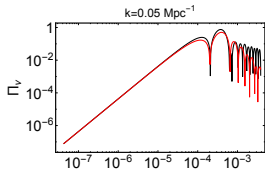
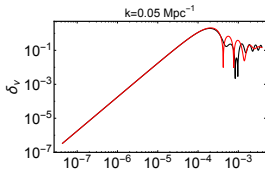
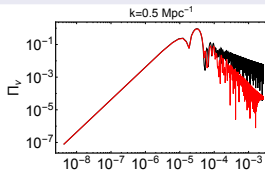
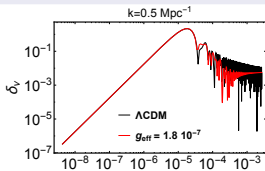
$$\dot{\theta} = k^2 \left( \frac{1}{4}\delta - \Pi \right),$$

$$\dot{\Pi} = \frac{4}{15}\theta - \frac{3}{10}kF_3 + \frac{2}{15}\dot{h} + \frac{4}{5}\dot{\eta} - a\Gamma\Pi,$$

$$\dot{F}_\ell = \frac{k}{2\ell+1} \left[ \ell F_{\ell-1} - (\ell+1)F_{\ell+1} \right] - a\Gamma F_\ell \quad (\ell \geq 3).$$

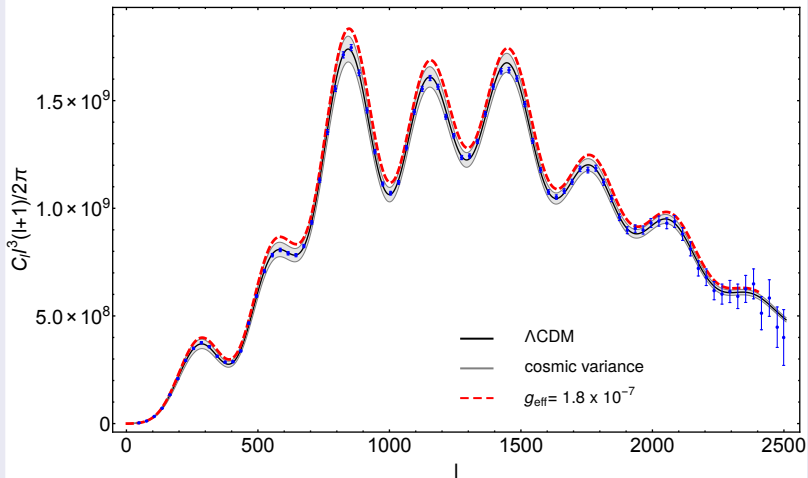
The collisional term reduces the anisotropic stress  $\Pi$  ( $l = 2$ ) and enhances the density perturbation  $\delta$  ( $l = 0$ ).

# Impact on Cosmological perturbations





## Impact on Angular Power Spectrum



## Planck 2015 data

- Third-generation CMB ESA satellite
- Low Frequency Instrument (LFI) observing at 30, 44, 70 GHz
- High Frequency Instrument (HFI) observing at 100, 143, 217, 353, 545 and 857 GHz
- Angular resolution from 30' to 5'
- $\frac{\Delta T}{T} \sim 2 \cdot 10^{-6}$
- Latest public data release in Feb 2015, a full sky in temperature (PlanckTT) and polarization (PlanckTP)

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### SN

Supernova data from the SDSS-II/SNLS3 Joint Light-curve Analysis

### H0

Hubble parameter constraint,  
 $H_0 = 70.6 \pm 3.3$

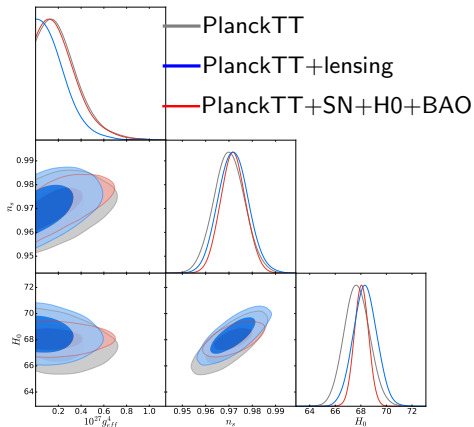
### BAO

Baryon oscillation data from DR11 LOW, DR11C MASS, MGS and 6DF

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## Lensing

Planck lensing power spectrum reconstruction

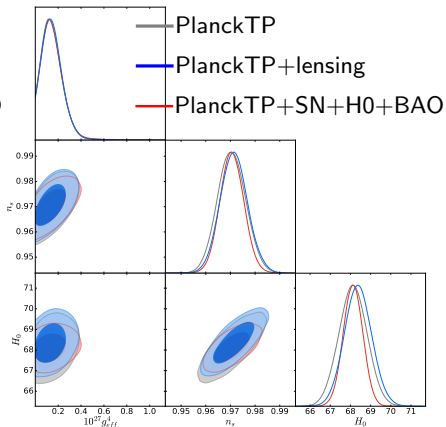


Constraints on  $g_{\text{eff}}$ :

$$g_{\text{eff}} \leq 1.54 \cdot 10^{-7} \text{ (95\%cl)}$$

$$g_{\text{eff}} \leq 1.47 \cdot 10^{-7} \text{ (95\%cl)}$$

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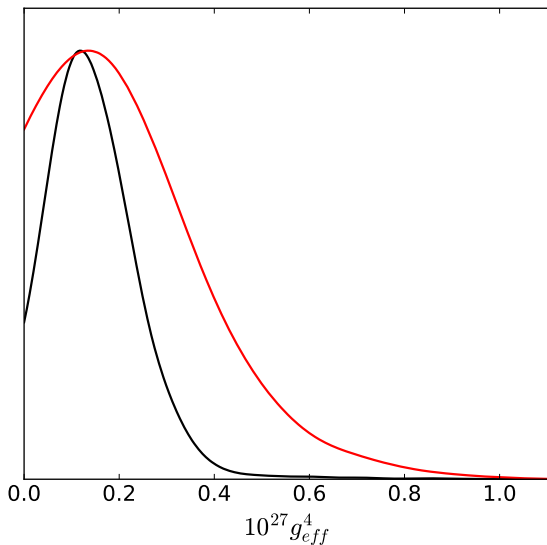


Constraints on  $g_{\text{eff}}$ :

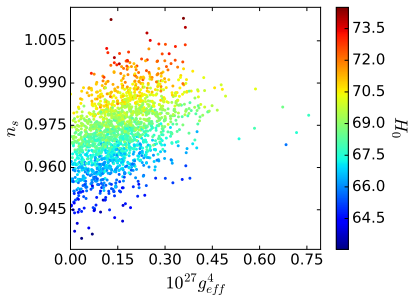
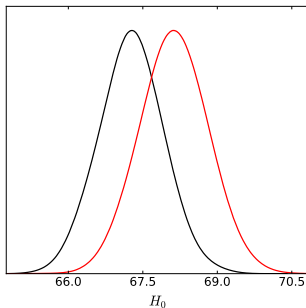
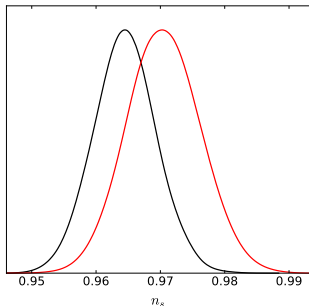
$$g_{\text{eff}} \leq 1.33 \cdot 10^{-7} \text{ (95\%cl)}$$

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# Results, [PlanckTP] focus on $n_s$ and $H_0$



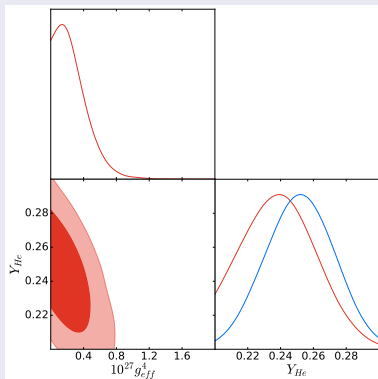
—  $\Lambda$ CDM +  $g_{eff}$  [PlanckTP]  
 —  $\Lambda$ CDM [PlanckTP]

## Constraints on $n_s$ :

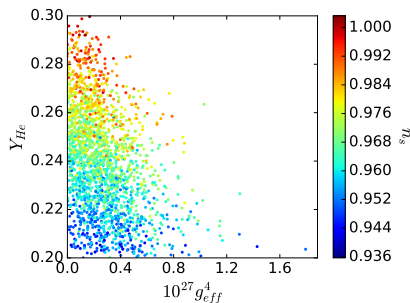
$n_s = 0.964 \pm 0.005$  [Planck 2015 XVI]

$n_s = 0.973 \pm 0.006$  [ $\Lambda$ CDM +  $g_{eff}$ , PlanckTP]

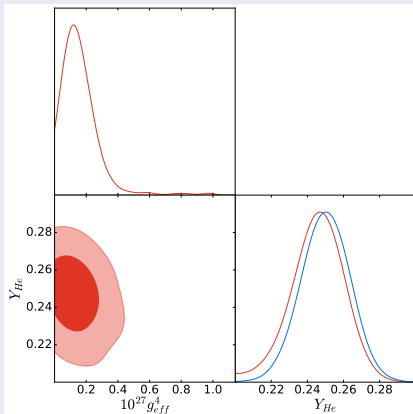
[PlanckTT]

—  $\Lambda$ CDM +  $g_{\text{eff}} + Y_{\text{He}}$  [PlanckTT]—  $\Lambda$ CDM +  $Y_{\text{He}}$  [PlanckTT]

Constraints:

 $Y_{\text{He}} = 0.252 \pm 0.023$  [Planck 2105 XVI] $Y_{\text{He}} = 0.240 \pm 0.021$  $g_{\text{eff}} \leq 1.6 \cdot 10^{-7}$  95%cl. $n_s = 0.968 \pm 0.011$ 

[PlanckTP]



—  $\Lambda$ CDM +  $g_{eff}$  +  $Y_{He}$  [PlanckTP]

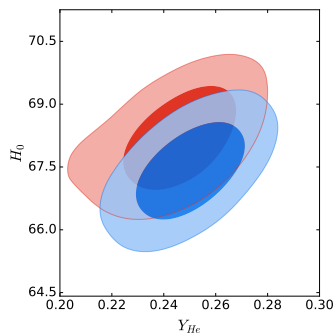
—  $\Lambda$ CDM +  $Y_{He}$  [PlanckTP]

Constraints:

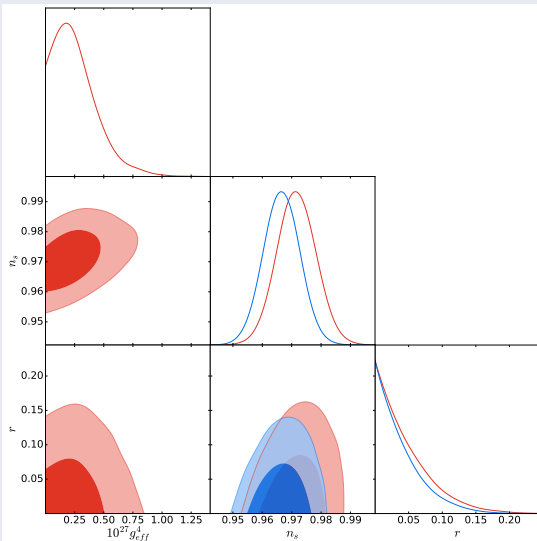
$$Y_{He} = 0.246 \pm 0.015$$

$$g_{eff} \leq 1.37 \cdot 10^{-7} \text{ 95\% c.l.}$$

$$n_s = 0.971 \pm 0.009$$



[PlanckTT]



—  $\Lambda$ CDM +  $g_{eff} + r$   
[PlanckTT]  
—  $\Lambda$ CDM +  $r$   
[PlanckTT]

Constraints:

$$r_{0.002} = 0.1 \text{ 95\% c.l.}$$

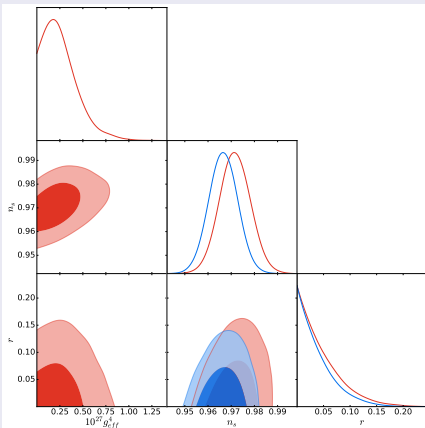
$$r_{0.002} = 0.13 \text{ 95\% c.l.}$$

$$g_{eff} \leq 1.58 \cdot 10^{-7} \text{ 95\% c.l.}$$

$$n_s = 0.972 \pm 0.007$$



## [PlanckTP]

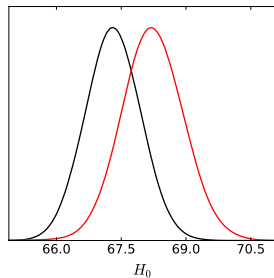
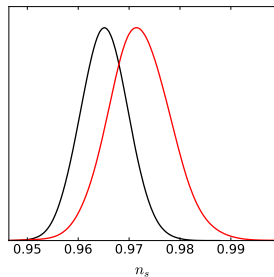


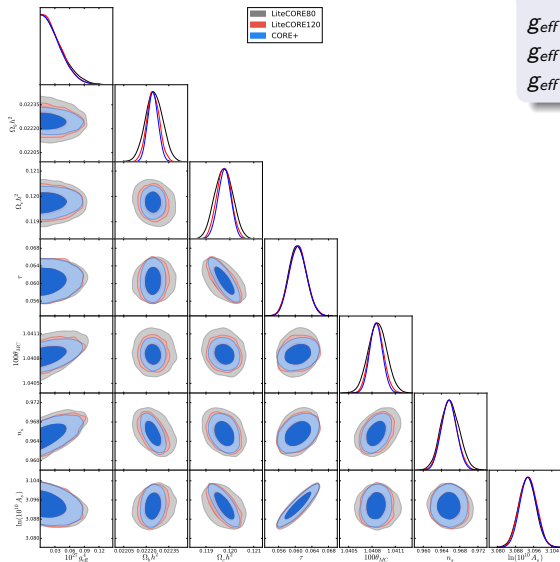
## Constraints:

$$r_{0.002} = 0.12 \text{ 95\% c.l.}$$

$$g_{\text{eff}} \leq 1.4 \cdot 10^{-7} \text{ 95\% c.l.}$$

$$n_s = 0.972 \pm 0.007$$





## Constraints:

$$g_{eff} \leq 9.4 \cdot 10^{-8} \text{ 95\%cl. [LiteCOre 80]}$$

$$g_{eff} \leq 9.2 \cdot 10^{-8} \text{ 95\%cl. [LiteCOre 120]}$$

$$g_{eff} \leq 9.2 \cdot 10^{-8} \text{ 95\%cl. [COre+]}$$

Channel [GHz]	FWHM [arcmin]	$\Delta T$ [ $\mu$ K arcmin]	$\Delta P$ [ $\mu$ K arcmin]
LiteCORE-80, $l_{\max} = 2400, f_{\text{sky}} = 0.7$			
80	20.2	8.8	12.5
90	17.8	7.1	10.0
100	15.8	8.5	12.0
120	13.2	6.7	9.5
140	11.2	5.3	7.5
166	8.5	5.0	7.0
195	8.1	3.6	5.0
LiteCORE-120, $l_{\max} = 3000, f_{\text{sky}} = 0.7$			
80	13.5	8.8	12.5
90	11.9	7.1	10.0
100	10.5	8.5	12.0
120	8.8	6.7	9.5
140	7.4	5.3	7.5
166	6.3	5.0	7.0
195	5.4	3.6	5.0
CORE+, $l_{\max} = 3000, f_{\text{sky}} = 0.7$			
100	8.4	6.0	8.5
115	7.3	5.0	7.0
130	6.5	4.2	5.9
145	5.8	3.6	5.0
160	5.3	3.8	5.4
175	4.8	3.8	5.3
195	4.3	3.8	5.3
220	3.8	5.8	8.1

- All models studied are consistent with no interaction (free-streaming neutrinos)
- The goodness of fit for all considered models is comparable with the  $\Lambda$ CDM ones
- The effective strength of non-standard interactions is constrained at 95% c.l.  
 $g_{eff} \leq 1.5 \cdot 10^{-7}$  for [PlanckTT]
- Polarization data seem to prefer a non zero value for  $g_{eff}$  peaked at  $g_{eff} = 1.2 \cdot 10^{-7}$   
Considering a specific model in which the pseudoscalar boson is a Nambu-Goldstone boson, the Majoron, the constraint becomes:

$$g \leq 4.74 \cdot 10^{-7} \text{ 95\% c.l. [PlanckTT]}$$

$$g = 3.8 \cdot 10^{-7} \text{ best fit [PlanckTP]}$$

- Using polarization data, all models seems to prefer higher values of  $n_s$  and  $H_0$ .
- Future generation experiments like COre will improve the constraints on  $g_{eff}$  going below  $10^{-7}$